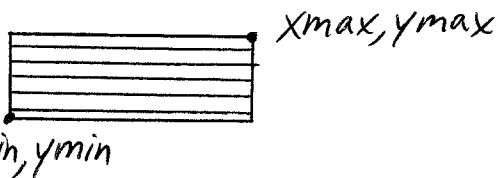
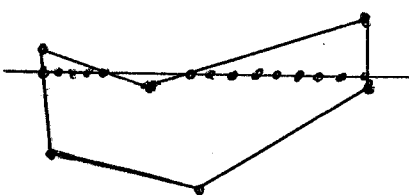


Polygon Filling

Task: assign all interior pixels to a particular color (or texture)

For rectangles: 

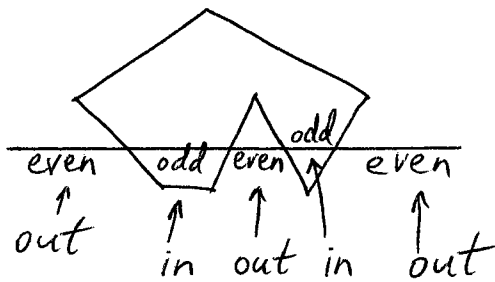
```
for (y = ymin; y < ymax; y++)  
    for (x = xmin; x < xmax; x++)  
        writePixel(x, y, value);
```

For polygons: 

- 1) Compute spans that lie between left and right edges of polygon. The span extrema are calculated by an incremental alg. that computes a scan line/edge intersection from the intersection with the previous line. This is faster than the analytic soln: $x = \frac{(x_2 - x_1)(y - y_1)}{(y_2 - y_1)} + x_1$
- 2) Determine which pixels on each scanline are within the polygon and set them to their appropriate value.

Spans can be filled in by a 3-step process:

- 1) Find intersections of the scanline with all edges of polygon
- 2) Sort intersections by increasing x-coordinates
- 3) Fill in all pixels in interior using odd-parity rule.

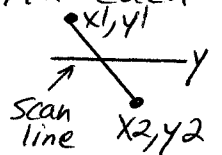


odd: draw
even: don't draw

In more detail:

steps (1) + (2): Find intersections and sort

Avoid brute-force technique of testing each polygon edge for intersection with each new scanline: $x = \left(\frac{x_2 - x_1}{y_2 - y_1} \right) (y - y_1) + x_1$



Only a few of the edges may intersect a scanline. Exploit edge coherence: many edges intersected by scanline i are also intersected by $i+1$.

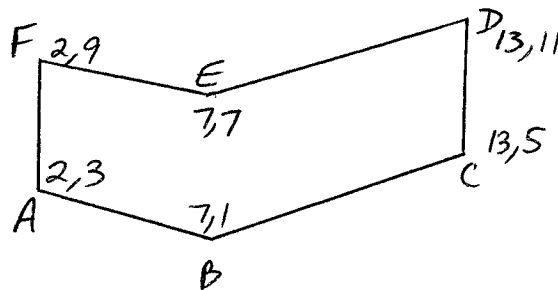
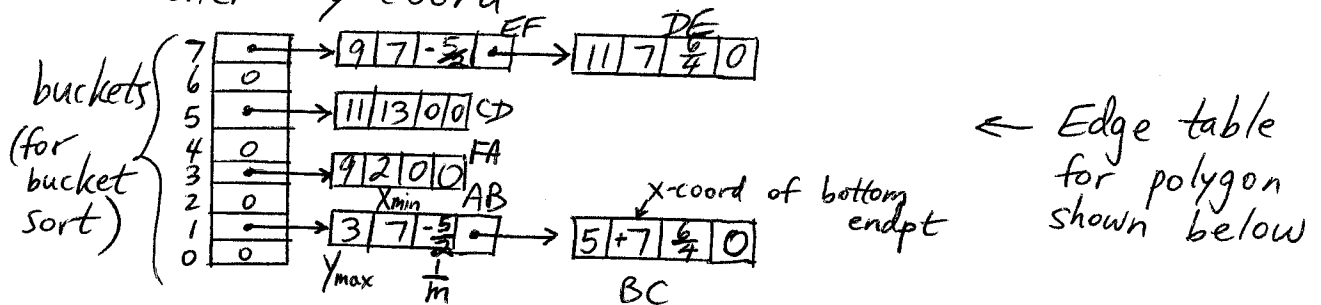
Compute intersections incrementally, like in Bresenham's algorithm.

Data structures:

Edge table (ET)

Active-edge table (AET)

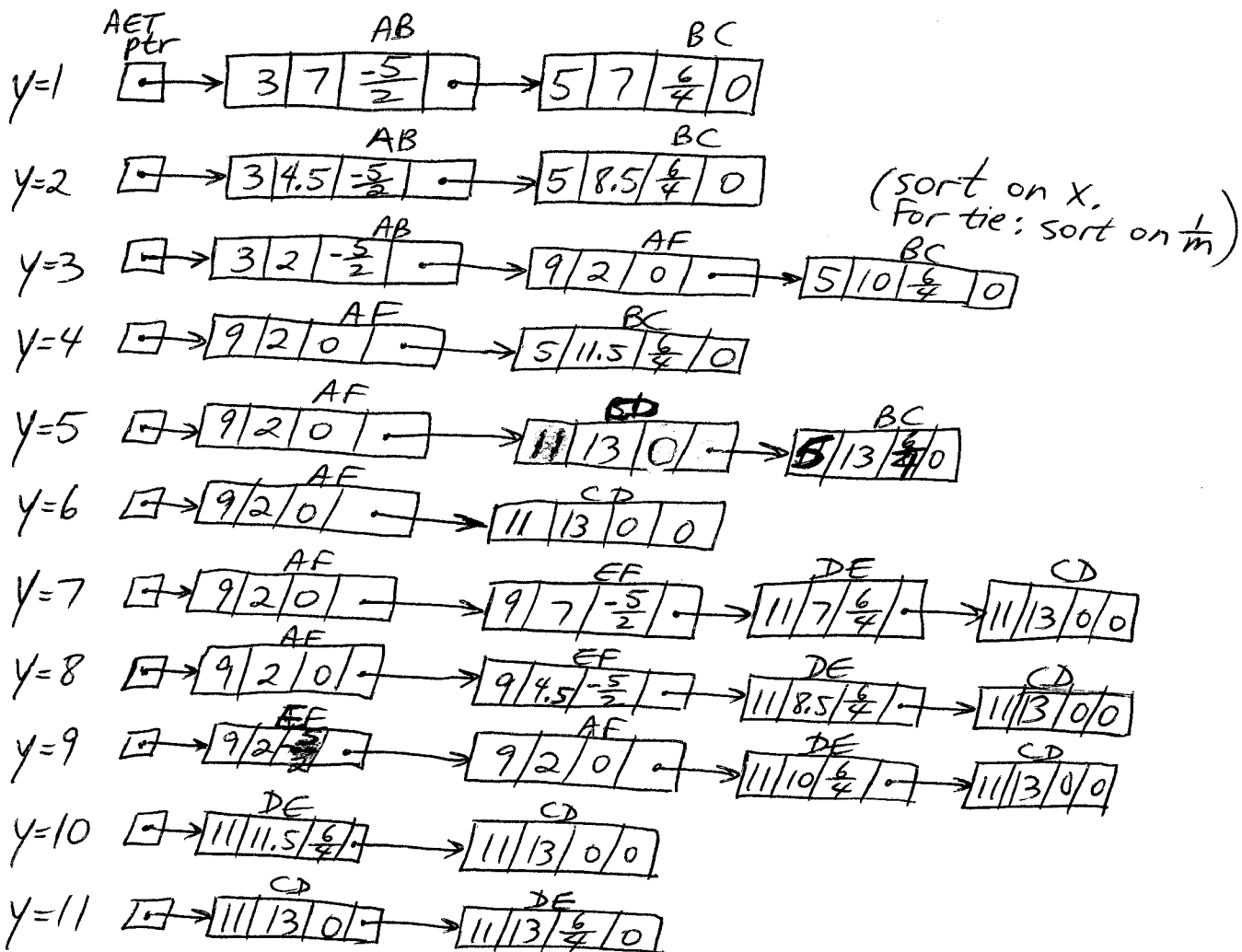
ET contains all edges sorted by their smaller y-coord



Using ET, create AET:

- 1) set y to smallest y-coord that has an entry in ET (y for first nonempty bucket)
- 2) Init AET to be empty (0)
- 3) Repeat until the AET and ET are empty
 - 3.1) Move from ET bucket y to the AET those edges whose $y_{min} = y$ (entering edges) and then sort the AET on x
 - 3.2) Fill in pixels on scanline y by using odd-parity rule
 - 3.3) Remove from AET those entries for which $y = y_{max}$ (edges no longer involved in next scanline)
 - 3.4) Increment y by 1 for next scanline
 - 3.5) For each nonvertical edge remaining in the AET, update x for the new y .

Example

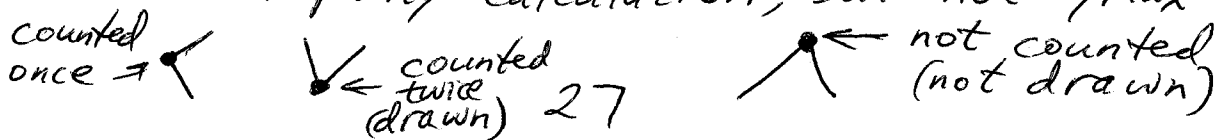


Step (3): Fill in pixel spans

Fraction: $\dots \overset{\text{interior}}{\dots} \dots \Rightarrow$ only fill interior pixels
 round up \swarrow \nwarrow round down

Integer: $\dots \dots \dots \dots \dots \Rightarrow$ avoid conflicts at shared edges
 left-side int is interior \swarrow \nwarrow right-side int coord is exterior

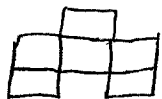
Shared vertex: count y_{\min} vertex of an edge in parity calculation, but not y_{\max}



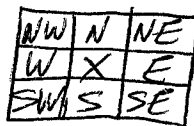
Fill Algorithms

Instead of polygon fill, where we are given a list of edges and require ET and AET data structures, we may use a fill algorithm \Rightarrow no need to define boundary with edges, just different color.

Defs: A region is a collection of pixels. A region is 4-connected if every 2 pixels can be joined by a sequence of pixels using only up, down, left, or right moves (N, S, W, E).



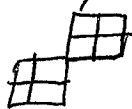
4-connected
region (also 8-connected)



(N, S, W, E)

A region is 8-connected if every 2 pixels can be joined by a sequence of pixels using N, S, W, E, NE, NW, SE, or SW moves.

Note: every 4-connected region is also 8-connected.



\leftarrow 8-connected region (but not 4-connected)

Consider a starting pixel P .

The interior-defined region is the largest connected region of points whose value is that of P .

The boundary-defined region is the largest connected region of pixels whose value is not some given boundary value.

Algorithms that fill interior-defined regions are called flood-fill algs. Those that fill boundary-defined regions are called boundary-fill algs.

Since both start from a pixel within the region, they are sometimes both called seed-fill algs.

for 4-connected regions
floodfill4($x, y, \text{oldval}, \text{newval}$)
int $x, y, \text{oldval}, \text{newval}$;

{

all interior pixels have same value (oldval)



if(readPixel(x, y) == oldval) {
writePixel(x, y, newval);
floodfill4($x, y-1, \text{oldval}, \text{newval}$);
floodfill4($x, y+1, \text{oldval}, \text{newval}$);
floodfill4($x-1, y, \text{oldval}, \text{newval}$);
floodfill4($x+1, y, \text{oldval}, \text{newval}$);

}

}

```
boundaryfill4(x, y, bdryval, newval)
```

```
int x, y, bdryval, newval;
```

```
{
```

```
    int c;
```

```
    c = readPixel(x, y);
```

```
    if (c != bdryval && c != newval) {
```

```
        writePixel(x, y, newval);
```

```
        boundaryfill4(x, y-1, bdryval, newval);
```

```
        boundaryfill4(x, y+1, bdryval, newval);
```

```
        boundaryfill4(x-1, y, bdryval, newval);
```

```
        boundaryfill4(x+1, y, bdryval, newval);
```

```
    }
```

```
}
```

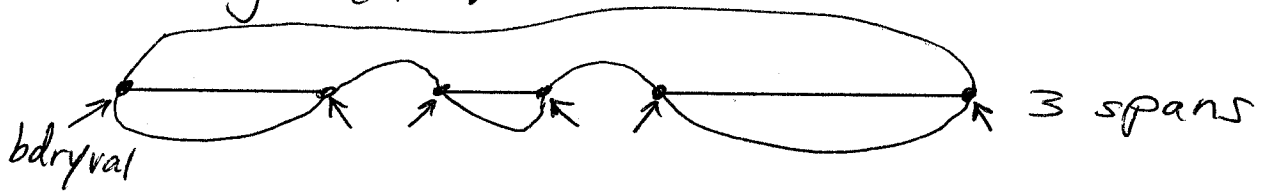
all bdrypts
have same value



val != bdryval

Both floodfill4() and boundaryfill4() are simple, but very highly recursive (rel. slow) functions. Recursion may cause stack overflow.

Better algorithm:



Spans are filled in iteratively:

```
for(x=x1; x<x2; x++) writePixel(x, y, newval);
```

A span is identified by its rightmost pixel. After a span is filled, the row above is examined from right to left to find the rightmost pixel of each span.

These pixel addresses are stacked. Same for below. After a span is processed, the pixel address at the top of the stack is used as the new starting point.

The algorithm ends when the stack is empty.

p.440 (Hill text)